

# Strategic Exploration via State Abstraction from Rich Observations



John Langford

MSR-New York City

Forthcoming work with



Dipendra Misra



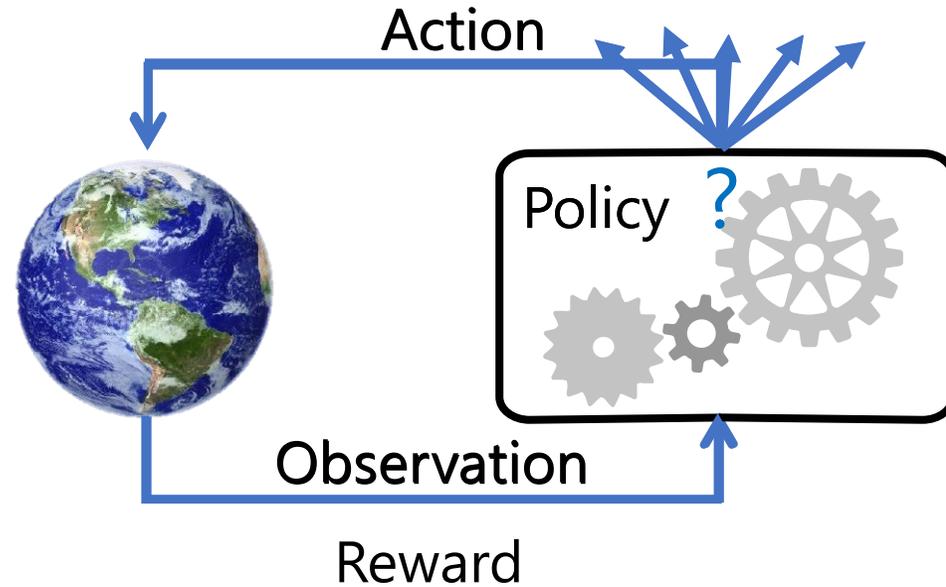
Mikael Henaff



Akshay Krishnamurthy

Fresher than Arxiv! <https://tinyurl.com/msr-homer>

# Reminder: Reinforcement Learning



Goal: Find a policy maximizing the sum of rewards

# What's hard?



Generalization

Policy Improvement

??

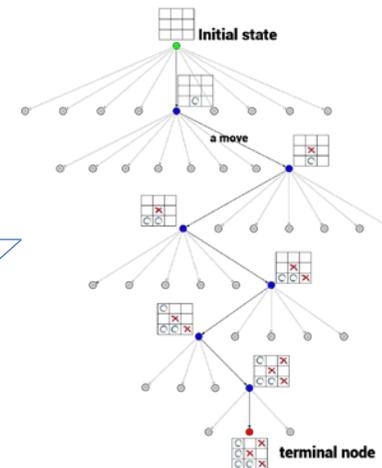
Contextual Bandits

MDP Learning

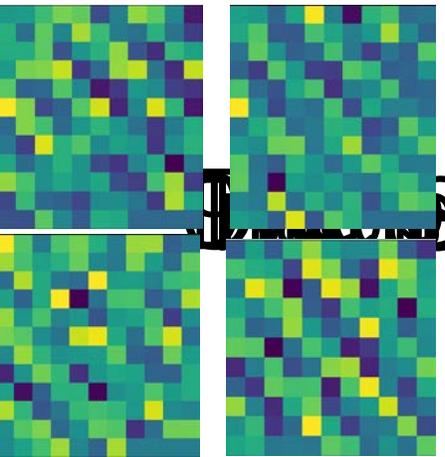
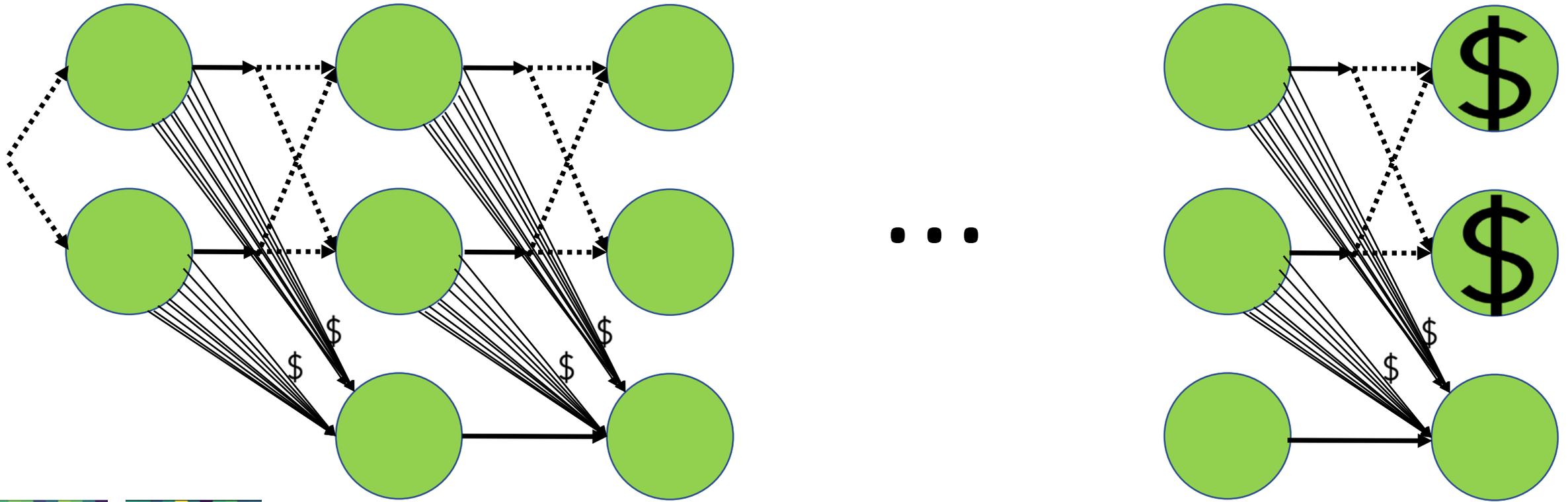
Credit



Exploration

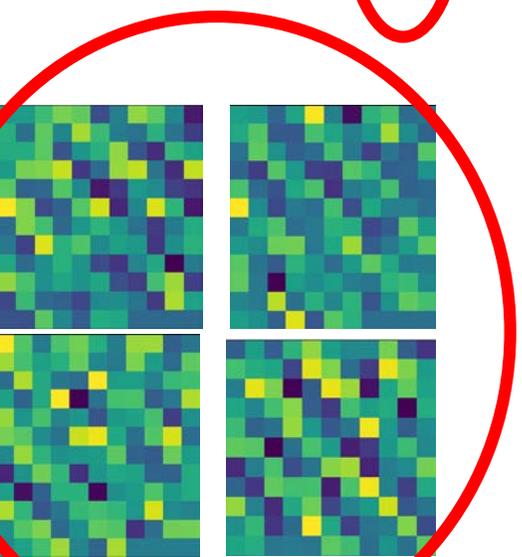
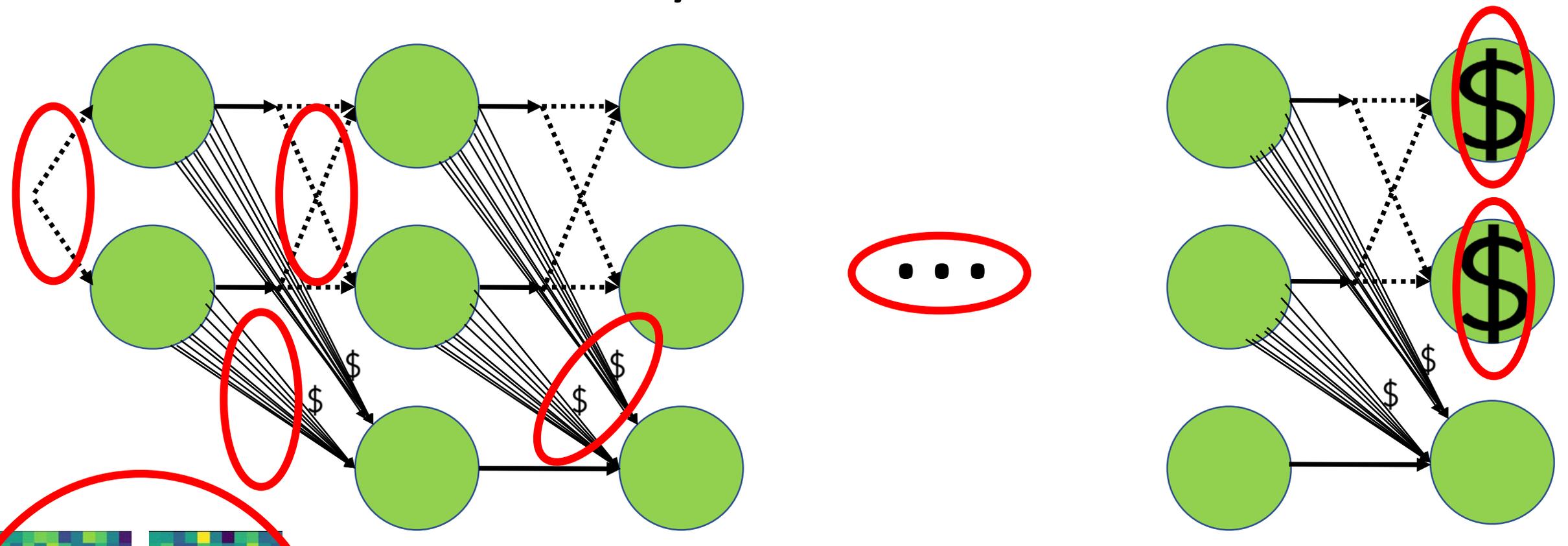


# Hard Reinforcement Learning problem



1. The state-action value function  $Q^*(s, a)$  is the expected return starting from state  $s$ , taking action  $a$ , and following the optimal policy. It is defined as  $Q^*(s, a) = \mathbb{E} \left[ \sum_{t=0}^{\infty} \gamma^t r_t \mid s_0 = s, a_0 = a \right]$ .

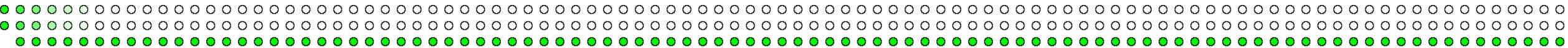
# Why is this hard?



~~Strongly correlated data is hard!~~

# State Visitation of Common RL algorithms

Advantage Actor Critic (A2C)



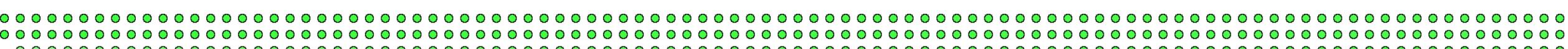
Proximal Policy Optimization (PPO)



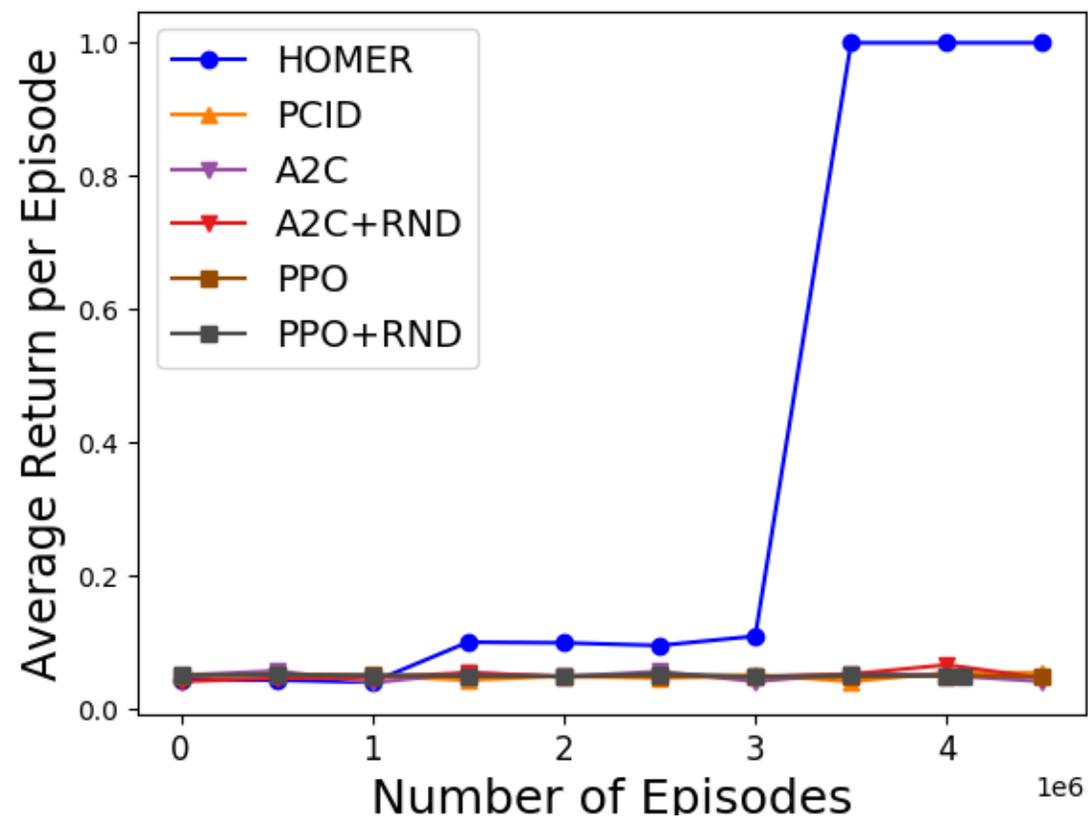
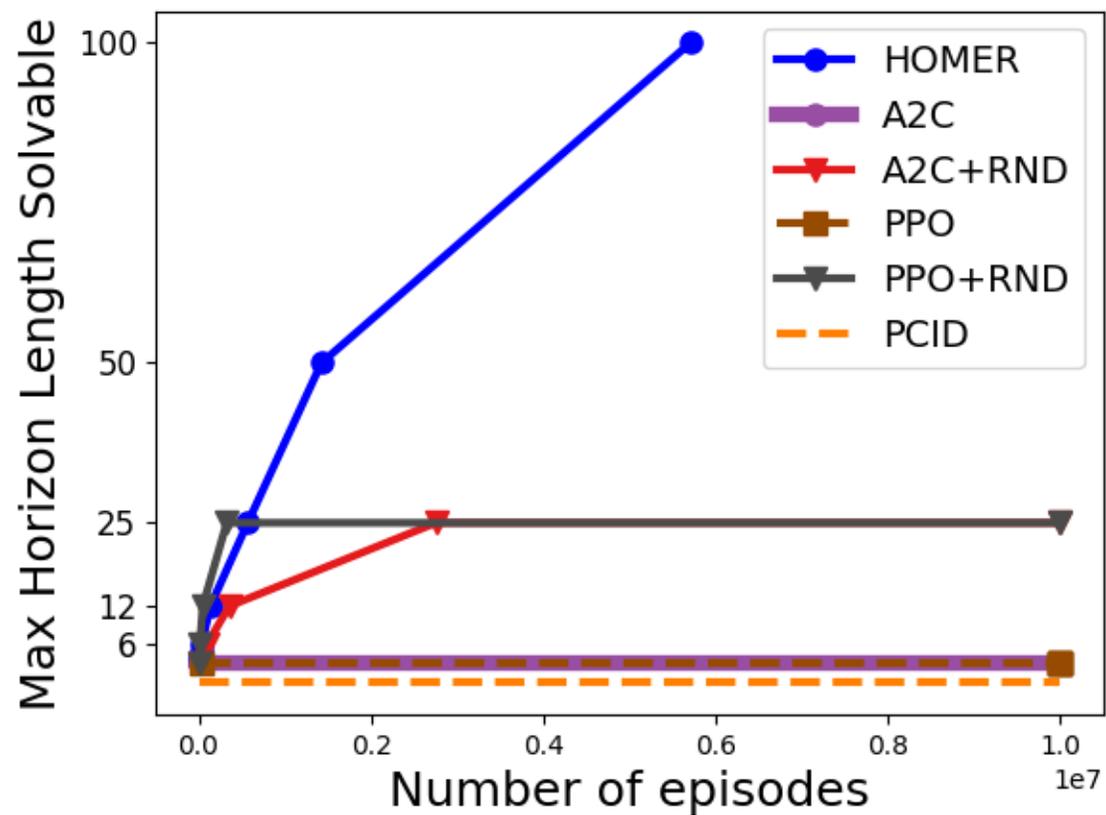
Random Network Distillation (RND)



Homer (New!)



# Performance



# How do you formulate the problem?

Repeatedly

For  $h = 1$  to  $H$

See observation  $x \in R^n$

Generated by some latent state  $s$ .

Never repeats!

Choose action  $a \in \{1, \dots, K\}$

Causes stochastic transition to latent state  $s'$ .

See reward  $r \in [0,1]$

Generated by  $x$ ,  $a$ , and next observation  $x'$ .

This could be per action or per episode.

Goal: Compete with some policy class  $\Pi = \{\pi: x \rightarrow a\}$

# Two assumptions

Block MDP: For all observations  $x$  there is a unique  $s$  which can generate it.

Oracle Learning: Supervised learning problems can be solved well with sufficient data.

**Theorem:** Homer solves all Block MDP problems with  $\text{poly}(|S|, |A|, H)$  samples and time if Oracle Learning works.

Independent of  $|X|!$

# Key Concept: Kinematic State

*Kinematic State* = observations with same causal dynamics.

Backward kinematic state:

$$x'_1, x'_2 \in s \text{ if for all } u \in \Delta(x, a),$$

Forward kinematic state:

$$x_1, x_2 \in s \text{ if for all } x', a:$$
$$T(x' | x_1, a) = T(x' | x_2, a)$$

Kinematic state = Forward+Backward

# Key Concept: Homing Policy

Homing Policy = policy finding something with highest probability.

$$\text{For all } x: \pi_x = \operatorname{argmax}_{\pi} P_{\pi}(x)$$

$$\text{For all } s: \pi_s = \operatorname{argmax}_{\pi} P_{\pi}(s)$$

Kinematic state  $s \Rightarrow$  every  $x \in s$  homed by **same** policy.

# Homer

For each  $h=2$  to  $H$

Many times

Sample  $\pi \sim \text{Uniform}$  (policy cover  $\Pi_{h-1}$ )

$(x, a, x') \sim h-1$  steps with  $\pi$  then act uniform random

50%  $\rightarrow$  keep  $(x, a, x', 1)$  else keep  $(x, a, \text{Uniform}(\{x'\}), 0)$

Learn to predict whether  $x'$  corrupted.

$$(p, \phi, \phi') = \operatorname{argmin}_{p, \phi, \phi'} \hat{E}_{(x, a, x', y)} (p(\phi(x), a, \phi'(x')) - y)^2$$

For each value of bottleneck  $s = \phi'(x')$

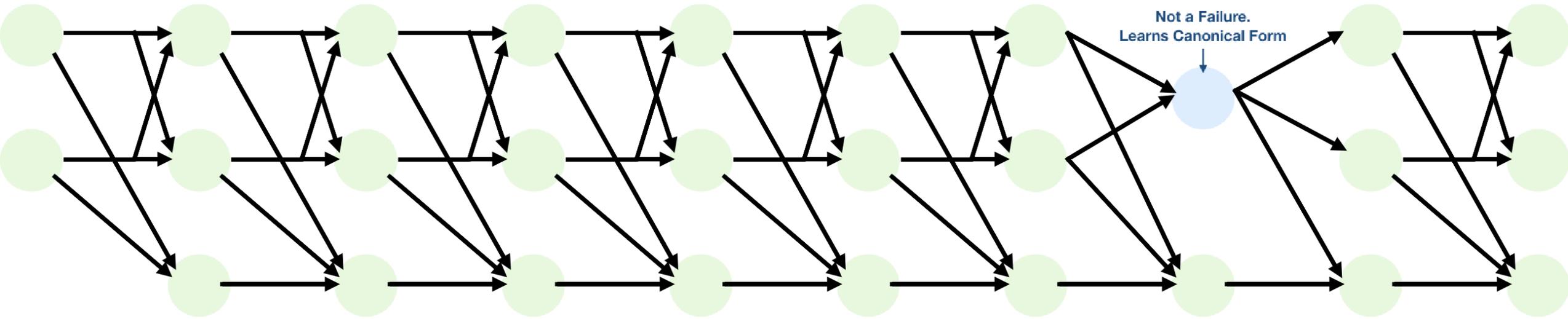
Define Reward  $R_s(x', a) = I(\phi'(x') = s)$

Learn homing policy  $\pi_s = \text{Find\_Policy}(\{\Pi_i\}, R_s)$

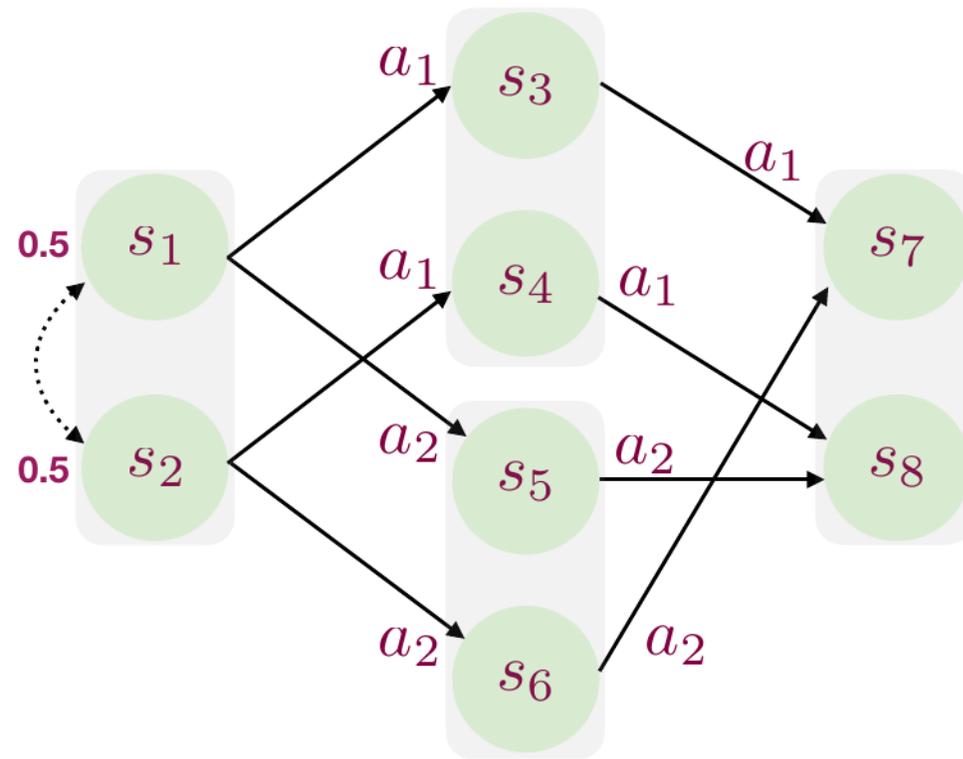
Form policy cover  $\Pi_h = \{\pi_s\}$

Return Policy cover  $\{\Pi_i\}$

We can extract the underlying state space!



A good example to think about



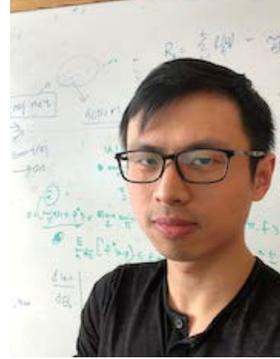
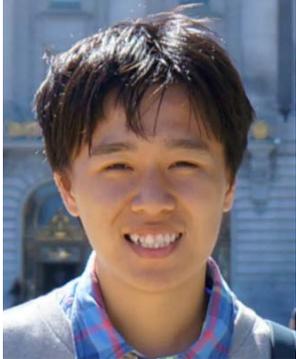
~~1. Predict action given  $x, x'$~~

~~2. Predict action + previous state given  $x'$~~

~~3. Construct homing policies incrementally~~

# Past and Future Work

[KAL16] [JKALS16] [DJAKLS18] [SJKAL19] [DKJADL19]



Active Research area!

How do we make the algorithm incremental?

How do we handle continuous state/action?

How do we handle combinatorial state?

Yes, we are hiring!

Many people, locations, roles:

[http://aka.ms/rl\\_hiring](http://aka.ms/rl_hiring)