

## Wilfrid Gangbo

Title: Lifting absolutely continuous curves from  $P(\mathbf{T}^d)$  to  $P_2(\mathbf{R}^d)$ .

Abstract: Recall that the rotation vector of an absolutely continuous curve  $x : [0, \infty) \rightarrow \mathbf{T}^d$  when it exists, is the asymptotic limit of  $\hat{x}(t)/t$ , where  $\hat{x}$  is any lift of  $x$  to the universal cover  $\mathbf{R}^d$ . One of the main difference with an absolutely continuous curve  $:[0, \infty) \rightarrow P(\mathbf{T}^d)$ , which constitutes an analytical challenge, is the non uniqueness of a velocity field associated to  $\cdot$ . Given  $c \in \mathbf{R}^d$ , we identified a unique velocity  $\mathbf{v}_c$  of  $\cdot$  satisfying a certain variational principle and derived existence of a lift of  $(\cdot, \mathbf{v}_c)$  to obtain an absolutely continuous curve  $\hat{\cdot} : [0, \infty) \rightarrow P(\mathbf{R}^d)$ . This has been central for extending the Mather/Mane theory to  $P(\mathbf{T}^d)$  and make inferences about the asymptotic behavior of classes of partial differential equations.