

abstract

Joint IAS/PU Number Theory Seminar
Topic:

Speaker:

Affiliation:

Date:

Time/Room:

We consider Galois cohomology groups over function fields F of curves that are defined over a complete discretely valued field.

Motivated by work of Kato and others for $n=3$, we show that local-global principles hold for $H^n(F, \mathbb{Z}/m\mathbb{Z}(n-1))$ for all $n \geq 1$.

In the case $n=1$, a local-global principle need not hold. Instead, we will see that the obstruction to a local-global principle for $H^1(F, G)$, a Tate-Shafarevich set, can be described explicitly for many (not necessarily abelian) linear algebraic groups G .

Concrete applications of the results include central simple algebras and Albert algebras.