

abstract

Computer Science/Discrete Mathematics Seminar I
Topic:

Speaker:

Affiliation:

Date:

Time/Room:

For a $\{0,1\}$ -valued matrix M let $CC(M)$ denote the deterministic communication complexity of the boolean function associated with M . The log-rank conjecture of Lovasz and Saks [FOCS 1988] states that $CC(M) \leq \log^c(\text{rank}(M))$ for some absolute constant c where $\text{rank}(M)$ denotes the rank of M over the field of real numbers. We show that $CC(M) \leq c \cdot \text{rank}(M)/\log \text{rank}(M)$ for some absolute constant c , assuming a well-known conjecture from additive combinatorics, known as the Polynomial Freiman-Ruzsa (PFR) conjecture. Our proof is based on the study of the "approximate duality conjecture" which was recently suggested by Ben-Sasson and Zewi [STOC 2011] and studied there in connection to the PFR conjecture. First we improve the bounds on approximate duality assuming the PFR conjecture. Then we use the approximate duality conjecture (with improved bounds) to get the aforementioned upper bound on the communication complexity of low-rank matrices, and this part uses the methodology suggested by Nisan and Wigderson [Combinatorica 1995]. This is joint work with Eli Ben-Sasson and Shachar Lovett.