

abstract

LIE GROUPS, REPRESENTATIONS AND DISCRETE MATH

Topic:

Speaker:

Affiliation:

Date:

Time/Room:

We will discuss the following very recent result:

Theorem. Let R be any finitely generated associative (not necessarily commutative) ring, with $\dim R > 1$. Then for any $n > \text{stable range rank of the ring } R$, the group $EL_n(R)$ has Kazhdan's property (T).

The group $EL_n(R)$ is the group generated by the elementary subgroups of $GL_n(R)$ (when R is not commutative, $SL_n(R)$ doesn't even make sense). Special important cases of the theorem are that $SL_n(\mathbb{Z}[x])$ has (T) for $n > 3$, $SL_n(\mathbb{Z}[x,y])$ has (T) for $n > 4$ etc. The proof is cohomological, and doesn't give any explicit Kazhdan constants. We will discuss it in a very friendly manner, leaving out some "black boxes" and assuming no prior familiarity with property (T).